

Cell Membrane

- Provides a boundary separating the internal structures from its external environment
- Selectively permeable, permitting the free passage of some materials, and restricting the passage of others
- Double layer (i.e., bilayer) of phospholipid molecules (그림)
- Lipid: water-insoluble, energy rich macromolecules, fats, waxes, oils
- Globular proteins in membrane: free to move within the layer
- Channels: protein-lined pores.
- Water-filled pores
- Intracellular and extracellular fluid: solution of dissolved salts (NaCl and KCl) which dissociate into Na^+ , K^+ , and Cl^-
- Molecules transported across the cell membrane by passive and active processes

- Active process requires energy, ATP
- Passive process by inherent random movement of molecules
- Three passive processes
 - Osmosis: water transport
 - Diffusion: small molecules
 - Carrier-mediated diffusion: (그림)
- Active process
 - Against concentration gradient
 - Thus require energy
 - Na⁺-K⁺ pump
 - The pump uses energy stored in ATP to pump Na⁺ out of the cell and K⁺ in
 - Let's look at the how membrane potential is caused by the movements of Na⁺ and K⁺

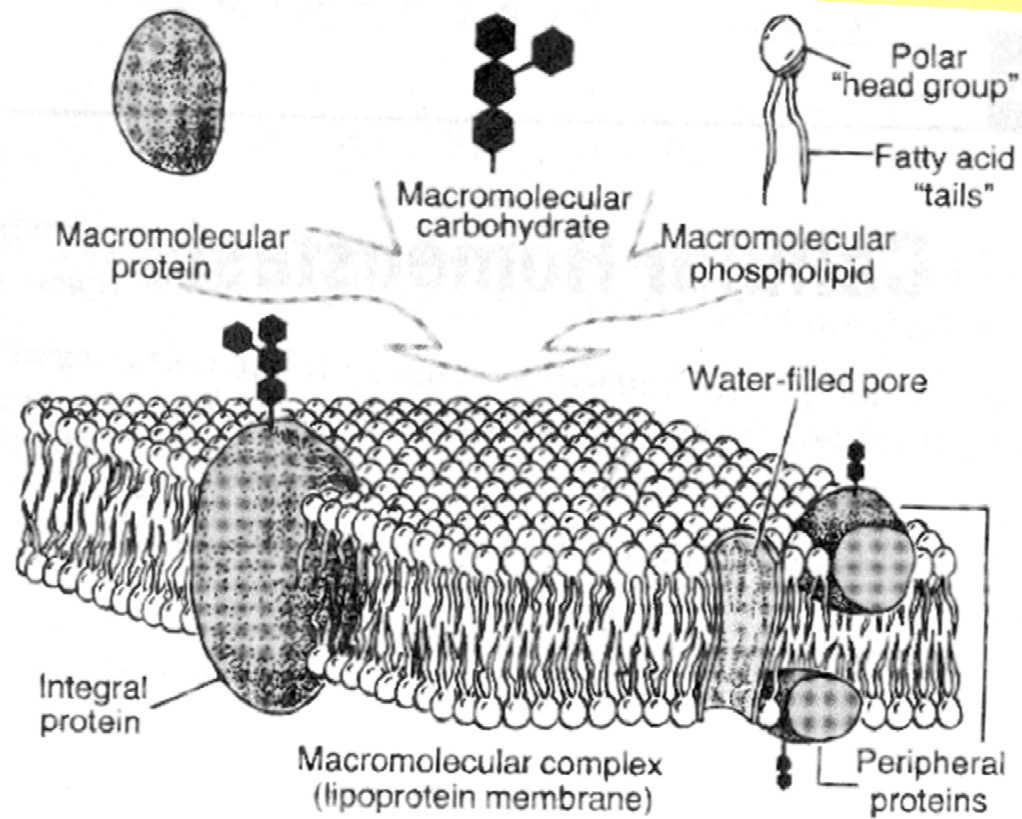
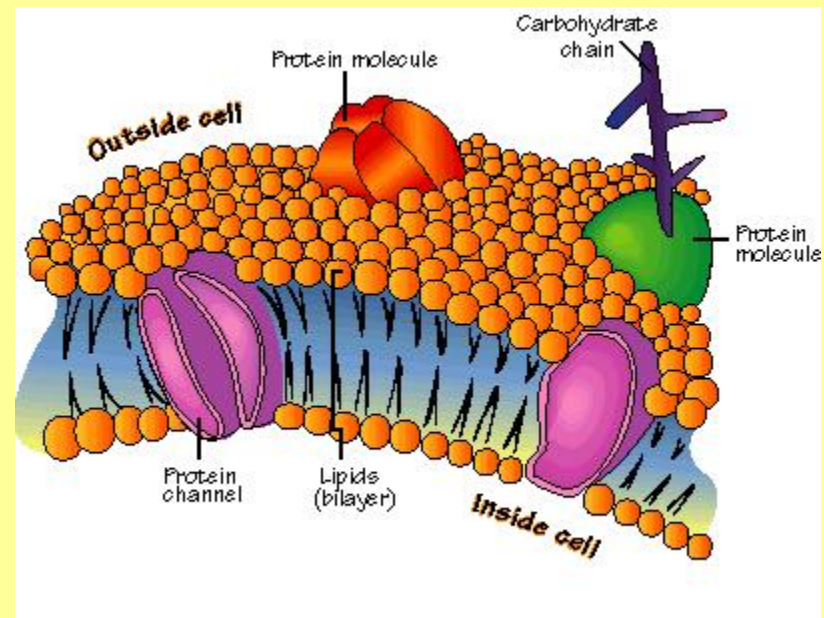


Figure 2.1 Schematic diagram of the cell membrane. (Davis et al., 1985, Fig. 3-1, p. 41.)



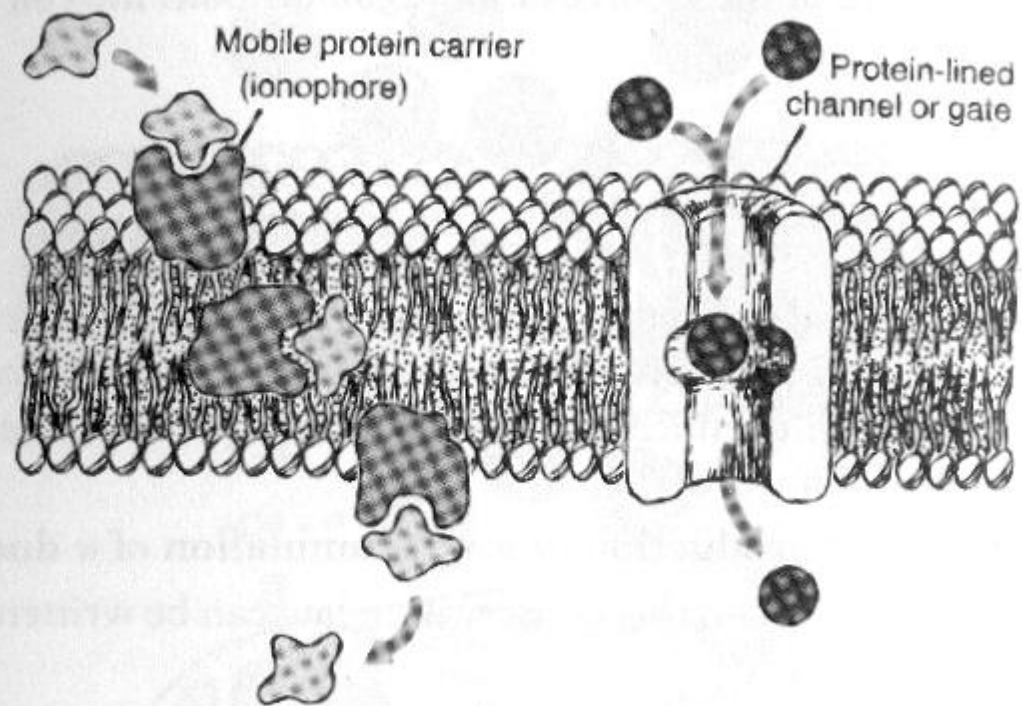


Figure 2.2 Schematic diagram of the cell membrane containing a protein carrier and a protein-lined ionic channel. (Davis et al., 1985, Fig. 3-7, p. 45.)

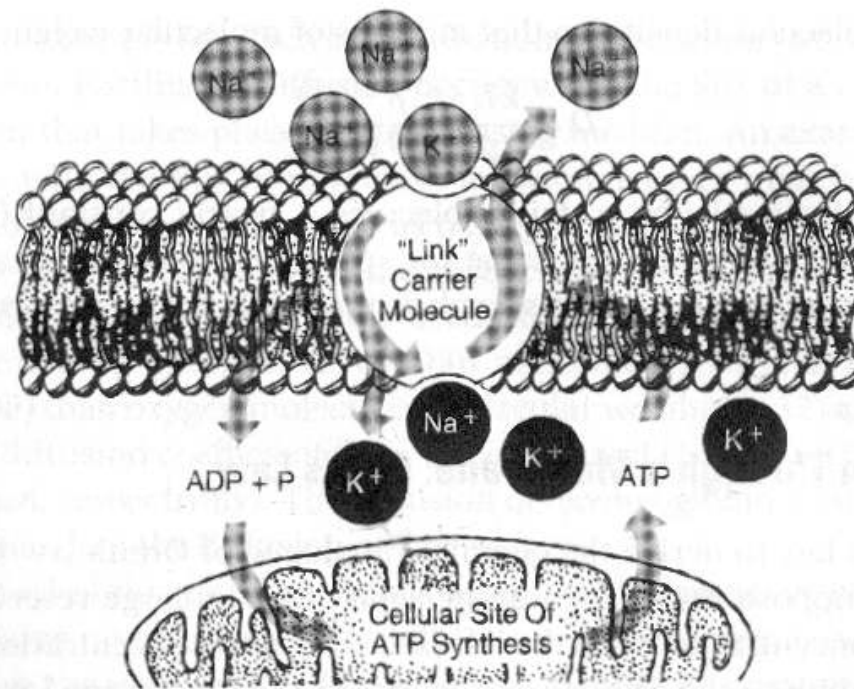
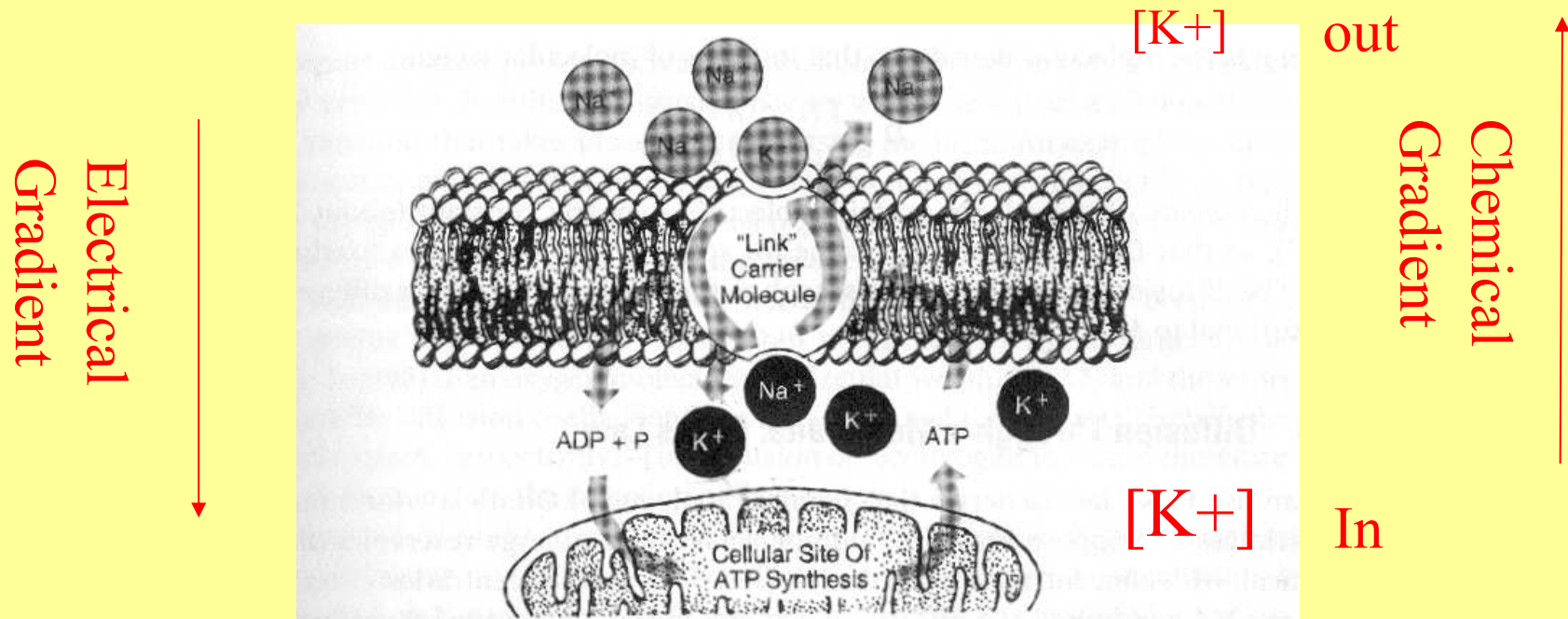


Figure 2.3 Schematic diagram of the cell membrane containing a $\text{Na}^+ - \text{K}^+$ pump. (Davis, et al., 1985, Fig. 3-11, p. 49.)

- The resting membrane potential is generated by (1) differential distribution of ions (2) selective permeability
- Differential distribution of Na^+ and K^+ maintained by Na^+-K^+ pump
- 2 opposing forces for ion flux thru an open channel (1) chemical concentration (2) electrical gradient
- Equilibrium potential for K^+ : two forces acting on K^+ ions exactly oppose each other

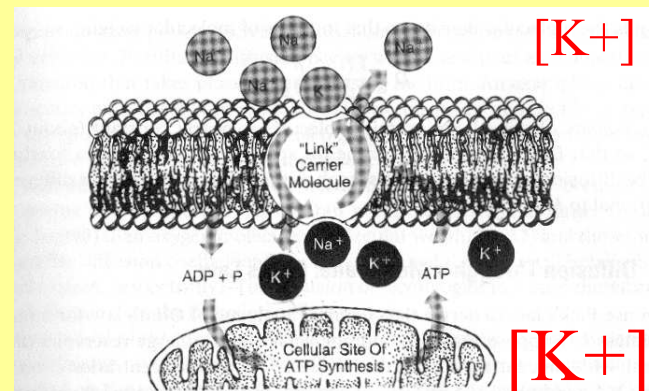


Nernst Equation

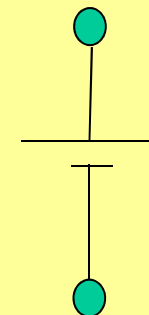
- In 1888, Walter Nernst, a German physical chemist derived an equation to calculate the equilibrium potential for an ionic battery
- Equilibrium potential = Nernst Potential
- For K+

$$E_{K^+} = \frac{RT}{ZF} \ln \frac{[K^+]_o}{[K^+]_i}$$

- R = Gas Constant
- T = Temperature (degree Kelvin)
- Z = Ionic Valence
- F = Faraday Constant
- [K+]o = K+ Concentration outside cell
- [K+]i = K+ Concentration inside cell



out

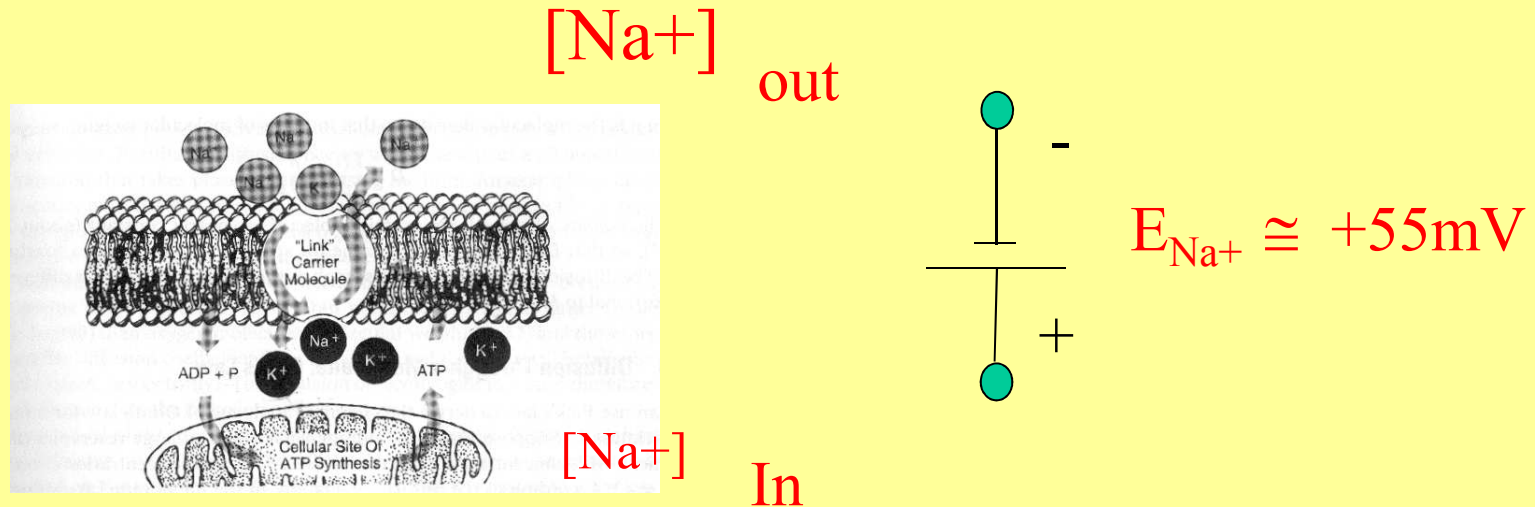


$$E_{K^+} \cong$$

-75mV

In

- The membrane potential (V_m) may not be at the equilibrium potential (E) of an ion, Thus, a net driving force exists
- For K^+ : $V_m - E_{K^+}$
- Cell membranes are permeable to a number of ions. The ionic battery of each permeable ion contributes to the resting membrane potential



Goldman Equation

- Goldman-Hodgkin-Katz Voltage Equation, simply Goldman Eq.
- The number of channels open for specific ions varies
- Thus, the permeability of the membrane for different ions varies
- $P_{K^+}:P_{Cl^-}:P_{Na^+}=1.0:0.45:0.04$
- The cell membrane is 25 times more permeable to K^+ ions than Na^+ ions
- The relative permeability of each ion determines its influence on the membrane potential
- Goldman equation is used to calculate V_m

$$V_m = \frac{RT}{F} \ln \frac{P_{K^+}[K^+]_o + P_{Na^+}[Na^+]_o + P_{Cl^-}[Cl^-]_i}{P_{K^+}[K^+]_i + P_{Na^+}[Na^+]_i + P_{Cl^-}[Cl^-]_o}$$

- The number of open channels can be changed by voltage-dependent or ligand-dependent gating
- This changes the relative permeability of the membrane.
- This is the basis for electrical signaling

Nernst Equation:

Relation of the diffusion potential
to the concentration difference

&

Goldman Equation:

Diffusion potential when the
membrane is permeable to
several different ions